

# CH0401 Process Engineering Economics

## Lecture 3d

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- 1 **Economics of Selecting Alternatives**
- 2 Annual cost method
- 3 Present worth method
- 4 Replacement – Rate-of-return method
- 5 Payout time method



# Process Engineering Economics

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- 1 Economics of Selecting Alternatives
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# Process Engineering Economics – *Comparison*

## Comparison of different interest rate percentages in annual cost method and present worth method

**Problem 3.** Using the same data from problem 1 with money worth 4%, Find out the relative annual costs and present worth's of two alternatives for 10 years service and how do these results compared with those obtained when money worth 10%?

Items	Plan A (Plate and frame filter press)	Plan B (Continuous filter)
Cost of filter	\$10,000	\$30,000
Labor cost	\$18,600	\$11,000
Annual direct cost	8% of investment	10% of investment
<b>Money worth</b>	<b>4%</b>	<b>4%</b>
Service life	10 years	10 years
Salvage Value	\$600	\$1,000

# Process Engineering Economics – Comparison

## Annual Cost Method

Plan A	Plan B
We know,	We know,
$P = R \left( \frac{(1+i)^n - 1}{i(1+i)^n} \right) \quad (1)$	$P = R \left( \frac{(1+i)^n - 1}{i(1+i)^n} \right) \quad (1)$
$R = P \left( \frac{i(1+i)^n}{(1+i)^n - 1} \right) \quad (2)$	$R = P \left( \frac{i(1+i)^n}{(1+i)^n - 1} \right) \quad (2)$
$R = (P - L) \times \left( \frac{i(1+i)^n}{(1+i)^n - 1} \right) + L \times i \quad (3)$	$R = (P - L) \times \left( \frac{i(1+i)^n}{(1+i)^n - 1} \right) + L \times i \quad (3)$
now taking $i = 0.04$ , $n = 10$ years, $L = \$600$ , $P = \$10,000$ from the problem statement we have,	now taking $i = 0.04$ , $n = 10$ years, $L = \$1,000$ , $P = \$30,000$ from the problem statement we have,
$R = (10,000 - 600) \times \left( \frac{0.04(1+0.04)^{10}}{(1+0.04)^{10} - 1} \right) + 600 \times 0.04$	$R = (30,000 - 1,000) \times \left( \frac{0.04(1+0.04)^{10}}{(1+0.04)^{10} - 1} \right) + 1000 \times 0.04$
$R = (9,400) \times \frac{0.0592}{0.4802} + 24 = 1159.02 + 24$	$R = (29,000) \times (0.1233) + 1000 \times 0.04 = 3615.7$
$R = \$1183$	$R = \$3616$

# Process Engineering Economics – *Comparison*

## Annual Cost Method

Therefore, the total annual cost for the service are

Items	Plan A (Plate and frame filter press)	Plan B (Continuous filter)
A. Capital investment	\$10,000	\$30,000
B. Capital recovery, $R$	\$ 1,183	\$ 3,616
C. Labor cost	\$18,600	\$11,000
D. Other direct costs	\$ 800	\$ 3,000
<b>Total annual costs (B+C+D)</b>	<b>\$20,583</b>	<b>\$17,616</b>

Comparison:

- I. If we use 10% interest rate potential saving in annual cost = \$2,170 i.e. (20,990 – 18,820) from annual cost method problem no 1.
- II. If we use 4% interest rate potential saving in annual cost = \$2,967 i.e. (20,583 – 17,616)

Therefore, both the interest rates are in favor of Plan B. But it is seen that lower interest rate raises the difference in annual cost to  $(20,583 - 17,616) = \$2,967$  in favor of plan B.

# Process Engineering Economics – *Comparison*

## Present Worth Method

### Plan A

We know,

$$P = R \left( \frac{(1+i)^n - 1}{i(1+i)^n} \right) \quad (1)$$

Therefore, the present worth of annual cost,  $P$  is calculated as follows

$$P = 19,400 \times \left( \frac{(1+0.04)^{10} - 1}{0.04(1+0.04)^{10}} \right)$$

$$P = 19,400 \times 8.1115 = 1,57,363.1$$

$$P = \$1,57,363$$

Present worth of salvage is given by

$$F = P(1+i)^n$$

$$P = \frac{F}{(1+i)^n}$$

$$P = \frac{600}{(1+0.04)^{10}} = \frac{600}{1.4802} = 405.35$$

$$P = \$405$$

# Process Engineering Economics – *Comparison*

## Present Worth Method

### Plan B

We know,

$$P = R \left( \frac{(1+i)^n - 1}{i(1+i)^n} \right) \quad (1)$$

Therefore, the present worth of annual cost,  $P$  is calculated as follows

$$P = 14,000 \times \left( \frac{(1+0.04)^{10} - 1}{0.04(1+0.04)^{10}} \right)$$

$$P = 14,000 \times (8.1115) = 1,13,560.81$$

$$P = \$1,13,561$$

Present worth of salvage is given by

$$F = P(1+i)^n$$

$$P = \frac{F}{(1+i)^n}$$

$$P = \frac{1000}{(1+0.04)^{10}} = \frac{1000}{1.4802} = 675.58$$

$$P = \$676$$



# Process Engineering Economics – Comparison

## Present Worth Method

Particulars	Plan A (Plate and frame filter press)	Plan B (Continuous filter)
(i) Present worth of annual cost	\$157,363	\$113,561
(ii) Present worth of salvage	\$ 405	\$ 676
(iii) Present worth of initial cost	\$ 10,000	\$ 30,000
Total present worth = (i - ii) + (iii)	<b>\$166,958</b>	<b>\$142,885</b>

Comparison:

Interest rate	Plan A	Plan B
I. Equivalent present worth by 10 % (from problem 2)	\$119,213	\$86,030.0
II. Equivalent present worth by 4%	\$157,363	\$113,561

Form the above table it is seen that the difference in equivalent present worth is greater in favor of **Plan B** than for **Plan A** when money worth 4%. Hence **Plan B** is recommended

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